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Dear Professor V. M. Agranovich,

We took your advice to heart and reduced the paper to 14 pages. We tried to reduce it further but could not do so without making the story incomprehensible. The presentation of the new results is now more concise. I sincerely hope that you agree these results should see the light of day, and thus permit the paper to go through the review system.

Best regards,

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# **A test of Aetherometry vs Relativity, Special and Larmor-Lorentz: the 1938 Ives-Stilwell experiment**

*Running Title:* Test of Aetherometry vs Relativity

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**Abstract.** Alternative physical theory (“Aetherometry”, AToS) not employing LF-transformations is proposed to predict charged particle velocities and transverse Dopplers in the 1938 Ives and Stilwell experiment. Predictions nearly match observed results, precluding time-dilation. For particle velocity: AToS within 3.9% of observed; SR/LLR within 9.7%. For transverse Doppler: AToS within 4% of observed; SR/LLR within 8.4%.

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**Keywords:** Aetherometry, Larmor-Lorentz Relativity, Special Relativity, transverse Doppler shift, Balmer line, hydrogen emission

## 1. Introduction

In 1938, Ives and Stilwell published the results of an experiment designed to test whether a transverse, second-order Doppler effect applied to the linear 'transmission' of light, by measuring the light emitted forward and backward (direct and reflected Doppler lines) from canal-rays accelerated through a potential drop of 8-43 kV [1]. The experiment was billed as a test of time-dilation, and its results variously interpreted as either confirmatory of Special Relativity (SR), or confirmatory instead of Larmor-Lorentz Relativity (LLR). What is particularly elegant and simple about the design of the Ives and Stilwell experiment is that it avoided the difficulties introduced by trying to observe light emitted transversely to the direction

of motion of the atoms, and focused solely on the light emitted forward or backward with respect to the direction of motion of the canal-rays. For a schematic of the experiment see Fig. 1.

Hydrogen gas was used in a diode tube as a source of canal-rays thought to be composed of single-charge molecular hydrogen ions,  $H_2^+$  and  $H_3^+$ . Free protons did not appear to form a significant fraction of the canal rays. The conventional physics of the process is described by French in the following manner: "These ions, after acceleration through an accurately defined voltage, could (by neutralization plus dissociation) produce neutral but still excited hydrogen atoms. (...) These atoms then emitted the characteristic Balmer lines of atomic hydrogen" [2]. Specifically, the photon emission line studied was the second line of the Balmer series,  $H_b$ , with conventional frequency of  $6.167 \times 10^{14} \text{ sec}^{-1}$ . Ives and Stilwell produced photographic plates of this line emitted from *resting* atoms, together with the blue and red Doppler shifts for light emitted in diametrically opposite directions. The observed results were then compared to the predictions from both SR and LLR.

In the present paper we introduce a novel nonrelativistic approach (Aetherometry), physical and analytical, to the determination of both the velocity of the charged particles in the canal rays of the 1938 Ives and Stilwell experiment, and the magnitude of the observed transverse Doppler shift for the main Balmer emission of hydrogen. Based upon a novel description of the collisional particle dynamics involved, we report that the "aetherometric" predictions nearly match the results reported by Ives and Stilwell for both particle velocity and second order Doppler effects, without taking recourse to Lorentz-Fitzgerald transformations. The aetherometric predictions are also substantially closer to the observed results than either the predictions of Special Relativity or of Larmor-Lorentz Relativity.

## 2. The results of the 1938 Ives and Stilwell experiment

### 2.1. *The role of protons and atomic hydrogen in the Ives and Stilwell experiment*

It is clear or beyond dispute that the Balmer line, and the entire series, is an emission characteristic of *atomic hydrogen* - not an emission characteristic of molecular hydrogen,  $H_2$ , or the molecular hydrogen ions detected as composing the canal rays. Now, no atomic hydrogen or free protons appeared to enter into the composition of the Ives and Stilwell canal rays ("No  $H_1$  particles were found in this work" [1], p. 220). For us, this emphasizes the fact that the Balmer line is observed only when atomic hydrogen is formed, precisely as a marker of its formation, and this process necessarily requires a proton to capture an electron. Thus the proton is invariably at the center of the physical interaction. Effectively, the plasma discharge does not ionize most of the hydrogen gas, and whether by inelastic collision or still other processes, protons accelerating towards the perforated cathode latch on to atomic hydrogen to form  $H_2^+$  canal rays, and on to neutral hydrogen gas to form  $H_3^+$  canal rays. It is upon subsequent collision with electrons that these protons are dissociated from hydrogen gas or atomic hydrogen, to reform, in turn, atomic hydrogen.

### 2.2. *The results of the Ives and Stilwell experiment*

The fundamental quantity measured by the Ives and Stilwell experiment, and given by

$$\Delta v/v = (\Delta v_2 - \Delta v_1)/v \quad (1)$$

reflected the extent to which the emission of the resting atomic hydrogen failed to fall half-way between the blueshifted frequency  $\nu_2$  of the light emitted in the same forward direction of motion of the canal rays, and the redshifted frequency  $\nu_1$  of the light emitted in the opposite direction and reflected from a mirror at the back of the cathode. Thus,

$$\Delta\nu_2 = \nu_2 - \nu \quad (2a)$$

$$\Delta\nu_1 = \nu - \nu_1 \quad (2b)$$

At high ion velocities, the value of  $\Delta\nu/\nu$  predicted by first-order classical Doppler theory could be readily distinguished from the predictions of Relativity (of either SR or LLR), and that was the main test of the experiment (see Table 1). The predicted hydrogen ion speed (for both  $H_2^+$  and  $H_3^+$  ions) in col. 4 of Table 1 is determined from

$$\nu = c \Delta\lambda/\lambda_0 \quad (3)$$

The observed, combined direct *and* reflected Doppler shift reported by Ives and Stilwell [1] is shown in col. 5, Table 1. A typical presentation of the Ives and Stilwell results leaves no room for doubting the superiority of SR over the classical theory (see Table 2) [3]. Thus, the experiment was billed by French - under a rubric entitled "Doppler effect and Time-dilation" ([2] pp. 144-146) - as one that *decided* between two very different versions of kinematics, and *confirmed* that clocks run slower the faster they move. However, the resolution of the experiment was not sufficient to decide whether SR or instead LLR [4, 5] was the more appropriate model.

### **3. The aetherometric analysis of the physics in the Ives and Stilwell experiment**

#### *3.1. New methodological principles*

Aetherometry has discovered that any molecular mass  $m$  has an equivalent wavelength  $\lambda_m$  whose numerical value is given by the following equation

$$\lambda_m = m N_A 10^{-2} \quad (4)$$

where the mass is expressed in grams and  $N_A$  is Avogadro's number. This has led to the expression of all physical quantities in a simplified meter-second system of units formally equivalent to the conventional kilogram-meter-second system. For example the fundamental charge  $e$  is aetherometrically equivalent to  $13.9707 \text{ m}^2 \text{ sec}^{-1}$  (and this is indicated as  $e=\int=13.9707 \text{ m}^2 \text{ sec}^{-1}$ ) and the volt is equivalent to a wavespeed of  $1V=\int=69,065.87 \text{ m sec}^{-1}$  [6].

Aetherometry proposes that the linear speed  $v$  of a massbound charge is a geometric mean function of the *electric wavespeed*  $W_v$  and the *magnetic field wave*  $W_{\text{mag}}$  characteristic of a given charge carrier:

$$v = \beta c = \sqrt{(W_{\text{mag}} W_v)} \quad (5)$$

with an associated electrokinetic energy (modally) given by:

$$E_K = \lambda_m (W_{\text{mag}} W_v) \quad (6)$$

For electrons,  $W_{\text{mag}}$  is a constant written as  $W_k=2.547 \cdot 10^6 \text{ m sec}^{-1}$ . For as long as the linear velocity  $v$  of the charged particle is less than  $\sim 0.85c$ , the voltage of the kinetic energy of the charge accelerated by the applied field – which in Aetherometry corresponds to the electric wavespeed  $W_v$  – directly corresponds to the voltage of the applied field [7]. This qualified correspondence is generically expressed as  $V_A=\int= W_v$ .

Aetherometry also proposes that photon emission requires the deceleration of charge carriers, and that the emission reflects – in an exact way – their kinetic energy, including their linear speed, at the time of emission. If the voltage of that kinetic energy corresponds to the



modal maximum of the potential of the accelerating field, the photon quantum modally produced (discharged) by a given kinetic or electrokinetic state of a charge carrier has energy given by:

$$h W_{\text{mag}} W_v/e = h\nu \quad (7)$$

(where  $h$  is Planck's constant and  $e$  the fundamental charge) [8]. Thus, the photon quantum frequency of emitted light is directly a function of the carrier's kinetic energy, and specifically of its linear speed:

$$\nu = (W_k W_v)/e = v^2/e \quad (8)$$

Using the aetherometric meter-second system, this relationship can be easily computed and checked. In other words, knowing the particles (or charge carriers) involved, one can check the velocity of the particles obtained as a function of the applied voltage against the velocity determined from the Doppler-shifted line spectra. Conversely, knowing the modal carrier velocity one can just as easily compute the electric wavespeed of the kinetic energy and the corresponding voltage of the accelerating field.

### *3.2. The physics of the kinematics of the Ives and Stilwell experiment*

The energy relation of equation #6 can be directly expressed (eg in eV or  $\text{m}^3 \text{sec}^{-2}$ ) as a function of the fundamental electric charge, as

$$E_K = \lambda_m (W_{\text{mag}} W_v) = e W_v \quad (9)$$

With the result that

$$e = \lambda_m W_{\text{mag}} \quad (10)$$

Accordingly,  $W_{\text{mag}}$  is characteristic of a charge carrier and varies with the mass of the ion. The proton ( $\text{H}^+$ )  $W_{\text{mag}}$  (written as  $W_u$ ) is  $1.387 \cdot 10^3 \text{ m sec}^{-1}$ , and  $W_{\text{mag}}$  for ionized molecular

hydrogen,  $H_2^+$ , is half that,  $6.935 \cdot 10^2 \text{ m sec}^{-1}$ . These are the relevant values for single-charge carriers, and they mean that, for the same linear velocity, the kinetic energy of  $H_2^+$  will have to be double that of  $H^+$ , and thus its electric wavespeed – and the corresponding accelerating potential – will also have to be double when compared to  $H^+$ . We now propose that it is ionized molecular hydrogen,  $H_2^+$  (and not  $H_2$ ), that is formed at the time the Balmer line of interest is emitted, and that it is formed from proton doublets, which we can write as  $2H^+=H_2^{++}$ . These are dual-charge carriers. When we think of a proton doublet as forming a doubly ionized molecular hydrogen ion, we have to treat its overall  $W_{\text{mag}}$  as being twice the value of  $H_2^+$ , ie identical to that of the proton. With aetherometric methods (equation #5), we can check what ion velocities we should obtain from the applied potential and, in reverse, compute the voltages constitutive of the kinetic energy of the moving particles based on their speeds, and compare these voltages with the reported applied potentials. The results are shown in Table 3. It is readily apparent from a comparison of the top and bottom parts of col.s 2, 7 and 10 in Table 3 that the applied potentials cannot accelerate  $H_2^+$  ions to the velocities based on the observed  $\Delta\lambda$ ; whereas the proton velocity and kinetic voltage parameters correspond closely to the values of the applied field. This inconsistency is further exposed in Table 4, where it is shown that, according to Aetherometry, only protons or proton doublets can be accelerated to the reported velocities with the voltages applied by Ives and Stilwell.

From the aetherometric vantage point, the conclusion of this comparison is inescapable: irrespective of the  $\lambda_o$  value chosen, the canal ray particles cannot be molecular  $H_2^+$  ions; and since Ives and Stilwell formally showed they were not protons [1], one is forced to conclude that they are proton-doublets,  $2H^+=H_2^{++}$ . These can be accelerated by the reported field potentials, but carry twice the kinetic energy of the single proton. If, as shown in col. 4 of Table 4, the

observed velocities belonged to molecular  $\text{H}_2^+$  ions, the required field potentials would have to be double those which were applied. Evidently, there is something wrong with the physics as described by Ives and Stilwell (and French, etc). The error is easily repaired, however, by realizing that the particles accelerated towards the cathode are, in fact protons (proton doublets, to be exact), not molecular hydrogen ions. The fact that no protons are found past the cathode in the composition of canal rays then indicates that protons traveling in the same direction (and forced together by passing through holes in the cathode) can develop non-covalent-like forces that permit them to form doublets. Apparently, the process of compacting the hydrogen discharge into canal rays generates proton doublets. In other words, the ions are not molecular per se, not  $\text{H}_2^+$ , but  $\text{H}_2^{++}$ , ie  $(2\text{H}_1^+)$ ; each member of the doublet carries an identical quantity of kinetic energy, whose electric potential corresponds to the applied voltage. Thus, the particle velocities obtained by Ives and Stilwell under the rubric of  $\text{H}_2^+$  are in fact proton velocities, and thus also proton doublet velocities.

### *3.3. The physics of photon emission in the Ives and Stilwell experiment*

This immediately brings to the forefront the problem with the physics of emission that have been accepted both by SR and Ives and Stilwell. It is assumed that the emissions are in all cases made by atomic hydrogen that becomes excited, so that the emitter already exists as atomic hydrogen before the emission occurs: "the assumption in every case is that of a single excited hydrogen atom, to which all particles must be assumed to revert before emitting light" ([1] p. 222).

Now, the Balmer line of interest is present upon formation of atomic hydrogen, be it in the transition of a proton doublet to ionized molecular hydrogen. Its emission can be said to be an emission from atomic hydrogen only to the extent the latter is formed at the moment of the emission, but it is an emission sourced directly in an electron (see below) in the process of becoming 'satellized' in the formed atomic hydrogen. Moreover - as already noted above for Aetherometry - the energy of the emitted photons (and their frequency) depends upon the kinetic energy of the massbound charges, and their emission only occurs when these charges discharge that energy (*in pars* or *in toto*), ie when they decelerate. Now, with the aetherometric method of analysis (equation #7), it is apparent that in the Ives and Stilwell experiment neither protons, nor their doublets, even for the highest applied voltage, have sufficient kinetic energy (or electric potential) to generate blackbody photons at the Balmer line. This fact is brought forth in Table 5 by the aetherometric derivation of the modal-maximum blackbody frequencies that canal-ray protons or proton doublets can emit as a function of their linear velocities determined either from the applied voltage (col.s 2, 3 & 4) or from  $\Delta\lambda$  (col.s 5, 6 & 7). The maximum frequency ( $\nu_A$  or  $\nu_B$ ) of the photon radiation emitted by the accelerated protons (in the interelectrode region) and the canal-ray proton doublets in the Ives and Stilwell experiment could not go beyond the microwave region. This underlies the fact that the actual Balmer line emitter is the electron.

But, for the electron alone, production of the Balmer line of interest requires acceleration by a field with a potential of no less than ~49kV (see ahead). That, too, exceeds the applied potential. So what is going on? Very simply, proton/electron collision - or proton-doublet/electron collision - is what is taking place; and the  $H_\beta$  emission by the captured electron occurs upon their joint formation of, respectively, atomic hydrogen or ionized molecular hydrogen. Protons, or rather their canal-ray doublets, capture electrons shooting from the glass-

overlaying cathode sheath of the canal-ray environment (thus the electrons have an opposing velocity vector). Collision with a proton would generate atomic hydrogen, but collision with a doublet would produce precisely  $H_2^+$ . This is of particular interest, given that when the kinetic energy of these doublets together with the kinetic energy of the captured electron reach the threshold aetherometrically required to produce Balmer emission, the line of interest is produced.

In other words, the actual emitter is the electron, and its displacement rate must also enter into the formulation of the linear Doppler shift, as it is central to the physical process of photon emission. The kinetic energy of one of the protons, together with the kinetic energy of the electron, must account for the Balmer line (by the aetherometric law of kinetic and photon energy proportionality, see equations #7 and #9), but the collision decelerates the doublet and therefore decreases the magnitude of both direct and reflected Doppler shifts - besides decelerating the electron enough that it is captured upon emission.

So, let's recapitulate. The linear Doppler shift  $\Delta v/v$ , direct and reflected, referenced to the 'resting' proton doublets, applies independently of the frequency of the emission; but as a function of their kinetic energy, the maximum photon frequency their kinetic energy would permit them to emit is not sufficient for  $H_\beta$  emission. However, at these frequencies - which are shown in Table 6 (col.s 2 and 5) - the full value of the Doppler shifts already applies. Note, therefore, that col.s 4, 5 & 6 of Table 6 relate directly to the aetherometric treatment of proton doublets in canal-rays, and the  $\Delta v_B/v_B$  linear Doppler ratio based on the observed  $\Delta\lambda$  applies to potential emission from these doublets *before* collision, ie before formation of  $H_2^+$  ions, and thus before  $H_\beta$  emission from a captured electron. Note, furthermore, that the  $\Delta v_C/v_C$  values (col.s 7, 8 & 9 of Table 6) essentially predicted by both SR and LLR are close to, though different from, the  $\Delta v_B/v_B$  values, but are supposed to apply, instead, to  $H_2^+$  ions.

We said above that the emission under study comes from electrons in the process of becoming 'satellized' by proton doublets. If the emission came from electrons decelerating *in vacuo*, the resulting electron kinetic characteristics required by Aetherometry and the linear Doppler shift would be those given in Table 7: the electron would need 48.9 keV of kinetic energy before it could source the main Balmer emission under study. From the aetherometric determination of the kinetic characteristics of protons (or proton doublets) summarized in Table 8 for the canal-rays of the Ives and Stilwell experiment, it is also apparent that the single or doublet protons do not have sufficient energy (or kinetic voltage) to generate by themselves the  $H_\beta$  line; they can only generate photons of much lower frequency  $u_B$  (col. 1, Table 8).

Since the  $H_\beta$  line is emitted upon capture of the electron, it is apparent that both proton doublets and colliding electrons together must contribute their energy for purposes of the emission; effectively, the two protons will make a momentary contribution of kinetic energy to the emitting electron. In the process, the electron will decelerate and become captured by the doublet to form an  $H_2^+$  ion, and the doublet will also decelerate.

### *3.4. Collisional dynamics in the Ives and Stilwell experiment*

Depending upon the field voltage applied to accelerate the protons in the interelectrode region, the electron must make a varying minimal energy contribution to the  $H_\beta$  line emission. Indeed, the total energy (~49 keV) of the captured electron before emission must be the same as it would need to be in the vacuum state. As shown in Table 9, this varying contribution (calculated against the aetherometric minimum of 48,983 eV) is substantially lower if the canal-rays are composed of doublets rather than protons.

The question arises, where do these sheath electrons acquire their minimum kinetic energy to bombard the canal-rays? If they did not bombard the doublets (or doublets with an associated atomic hydrogen, to generate  $H_3^+$ ), these would not have enough energy to confer to a trapped electron (and the same applies to any pre-existing atomic hydrogen) the energy needed to generate the  $H_\beta$  line. If we concentrate on the interaction with proton doublets (rows 1 to 5 of Table 9) - since it is the interaction of interest - it becomes clear that the only way these electrons can acquire such kinetic energies as in rows 1 to 4 is by means of elastic collisions (probably near the sheath present downstream from the cathode and adjacent the glass envelope). In row 5, the electron kinetic energy can be accounted for by the applied voltage, or the field energy, which exceeds the required minimum (18.1 keV field energy vs a required minimum of 12.7 keV electron kinetic energy). The fact that the required electron kinetic energy and potential is even greater for single protons further suggests that the main canal ray population is most likely composed of doublets.

Since both particles (or colliding charges) decelerate in the process of their collision and subsequent electron capture with Balmer photon emission, both the direct and the reflected linear Doppler shifts depend not just on the relative state of motion of proton doublets, or on the state of motion of the actual emitters, the electrons, with respect to these doublets, but on the collision that decelerates both to the final solidary velocity at the time of emission. Again, we underline the fact that this is a strict aetherometric requirement - that blackbody photon emission requires a decelerating emitter. Given the opposing velocity vectors of electrons ( $v_e$ ) and proton doublets ( $v_{pd}$ ), the resulting velocity  $v_{H2+}$  of the formed  $H_2^+$  ion - upon mutual deceleration and  $H_\beta$  emission - is aetherometrically given by:

$$v_{H2+} = v_{pd} - [v_e (m_e/2m_p)] \quad (11)$$

Table 10 shows the correct carriers, their kinetic energy and corresponding linear velocities, including possible maximum modal photon emissions, *before* (col.s 2 to 6) *and after* (col.s 7 to 11) proton-doublet/electron collision. Please note that photon frequencies in col.s 6 and 11 are those directly predicted for electron-emitted photons by the aetherometric relation derived from equation #7. The aetherometric prediction for the linear Doppler shift  $\Delta v/v$  from the formed  $H_2^+$  ions in accordance with the preceding aetherometric treatment is that shown in col. 12, Table 10.

### 3.5. Comparison of Aetherometry with Special Relativity and Larmor-Lorentz Relativity

It suffices to compare col.s 7 and 8 of Table 11 to realize that the aetherometric  $\Delta v/v$  prediction practically coincides with the results reported by Ives and Stilwell [1]. It is worth noting how close the predicted  $\Delta v/v$  values of SR (col. 5 of Table 11) are to the aetherometric values for the proton doublets *before collision* (col. 6 of Table 11), and thus *before emission*.

Finally let us carry out a comparison of the theories of Relativity (SR and LLR) with Aetherometry with respect to the second-order effect. In Aetherometry, the second-order effect of the linear Doppler is a mere phenomenological consequence of the law of the geometric mean composition of velocities, and does not entail any ontological or phenomenological Lorentz-Fitzgerald transformations. For reference, see Table 12. It is apparent that, in 4 of the 5 cases, the aetherometric results (col. 6, Table 12) match most closely the final results (col. 7, Table 12) reported by Ives and Stilwell. The differences between SR and Aetherometry shown in Table 12 are illustrated graphically in Fig. 2.



#### 4. Conclusions

The 1938 Ives and Stilwell experiment confirms Aetherometry's contention that SR is inconsistent in its application of the law of velocity composition, and in error when it comes to the determination of the voltages corresponding to the velocities of massbound charges (it confirms, therefore, the values presented in Table 4, col. 4, and the fact that the main heavy ions involved prior to emission are proton doublets).

Ives and Stilwell did not prove that a second-order effect existed; they only showed that the second-order effect models of LLR and SR were much, much closer to predicting the observed linear Doppler shift of light than was classical theory (see Table 2). By the same token, their experiment now confirms that the correct linear Doppler shift is that predicted by Aetherometry for emission from decelerating charges without any invocation of LF transforms (cp. Table 2 to Table 11).

These results and conclusions strongly indicate that, while on one hand there is no stationary Aether required for the concatenation of light photons, on the other hand the Ives and Stilwell experiment provides no physical evidence, either, for LF transforms - or evidence that proves that relativistic changes in clock rates exist or intensify with relative speed of motion. On the contrary, a proper understanding of field velocities and their difference from the wavespeeds and linear velocities corresponding to the kinetic energy of massbound charges, together with a novel understanding of the physics of photon emission, suffices to accurately predict the observed linear Doppler shifts without any recourse to relativistic considerations.

## Acknowledgements

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## Figure legends

**Figure 1.** Graphic representation of the 1938 Ives and Stilwell apparatus after Halliday et al [5].

(a) schematic of the canal-ray tube; (b) illustration of the Doppler shifts measured by the Ives and Stilwell experiment.

**Figure 2.** Computed and observed second-order shifts plotted against first-order shifts. The observed second-order shifts (small closed squares) are those reported by Ives and Stilwell ([1] Table III) and listed in col. 7 of Table 12. The second-order shifts predicted by SR (large closed squares, see col. 5 of Table 12) deviate from the results of Ives and Stilwell by, respectively, 8.4%, 7.4%, 3.5%, 4.3% and 0.2%. The second-order shifts predicted by Aetherometry (closed circles, see col. 6 of Table 12), deviate much less from the results of Ives and Stilwell by, respectively, 3.8%, 4%, 0%, 0.9%, 1.4%.

## Table captions

**Table 1.** Hydrogen ion velocity results for observed  $\Delta\lambda$  in the 1938 Ives and Stilwell experiment. Col. 2 is the conventional assumption. Col. 3 gives  $\Delta\lambda$  computed from  $\Delta\lambda=\lambda_0(v/c)$ , first-order, by Ives and Stilwell (see [1] Table I). Data in col.s 4 and 6 were obtained using  $\Delta\lambda= 4849.3$  and  $\Delta\lambda= 4861$  angstroms, respectively. Note that Ives and Stilwell experimentally determined the *resting position of this emission* to lie at  $\lambda_0 = 4849.3\text{\AA}$  ([1] p. 219), but employed the conventional location of this line at  $\lambda_0 = 4861\text{\AA}$  in their analysis (and so does the present paper).

**Table 2.** Classical theory vs Special Relativity predictions with respect to the results of the 1938 Ives and Stilwell experiment.

**Table 3.** Aetherometric correspondences between potentials in volts, ion velocities and electric wavespeed of kinetic energy as derived from either the applied potential, the observed  $\Delta\lambda$ , or the computed  $\Delta\lambda$ .

**Table 4.** Comparison of voltage values for ionized molecular hydrogen  $\text{H}_2^+$ , protons ( $\text{H}^+$ ) and proton doublets ( $\text{H}_2^{++}$ ): applied voltages vs voltages corresponding to observed ion velocities, as computed by Ives and Stilwell (col. 6), SR (col. 5) and AToS (col. 4).

**Table 5.** Maximum photon frequencies that, according to Aetherometry, may be emitted by protons or their doublets as a function of their velocity determined either from the applied electric potential or observed  $\Delta\lambda$ .

**Table 6.** Linear Doppler shifts for photons with frequencies computed from Table 3 values ( $v_A$  and  $v_B$  are shown in Table 5), that may be emitted by protons or proton doublets.

**Table 7.** Aetherometric characteristics of electron kinetics required to observe the  $H_\beta$  line.

**Table 8.** Aetherometric characteristics of the proton kinetics observed in the Ives and Stilwell experiment, that apply to single or doublet protons. Note that the values of col.s 8 and 9 are those in accordance with the aetherometric equation:

$$E_K = e W_v = \lambda_m (W_{mag} W_v) = m_o (W_{mag} W_v) = m_o v^2$$

where  $e$  has the aetherometric value of  $13.9707 \text{ m}^2 \text{ sec}^{-1}$ , and the sign ‘ $=f=$ ’ marks conversion from the aetherometric meter-second system to the quantities of the traditional SI system.

**Table 9.** Voltage and kinetic energy ( $V^*e$ ) of electrons in collisions with proton singlets and doublets, required for  $H_\beta$  line emission. The minimum kinetic energy of the electron is given by:

$$eV = (48,983\text{eV}) - (\text{kinetic energy of heavy ion})$$

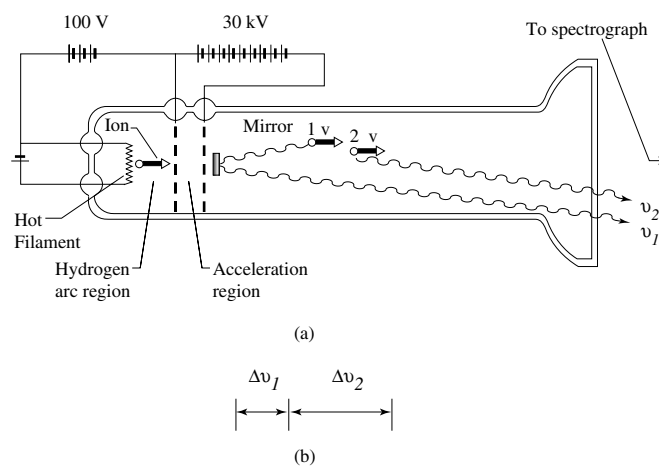
**Table 10.** Aetherometric comparison of kinetic characteristics of carriers before collision (doublets and electrons) and after collision ( $H_2^+$ ), in the canal-ray region of the Ives and Stilwell tube. Note that col. 3 gives both the maximum kinetic energy of doublets observed from  $\Delta\lambda$ , and

the minimum required kinetic energy of colliding electrons. Col. 4 gives the corresponding linear speeds. Also note that col. 9 gives the linear speed of  $H_2^+$  upon collision and deceleration with  $H\beta$  emission, as per equation #11.

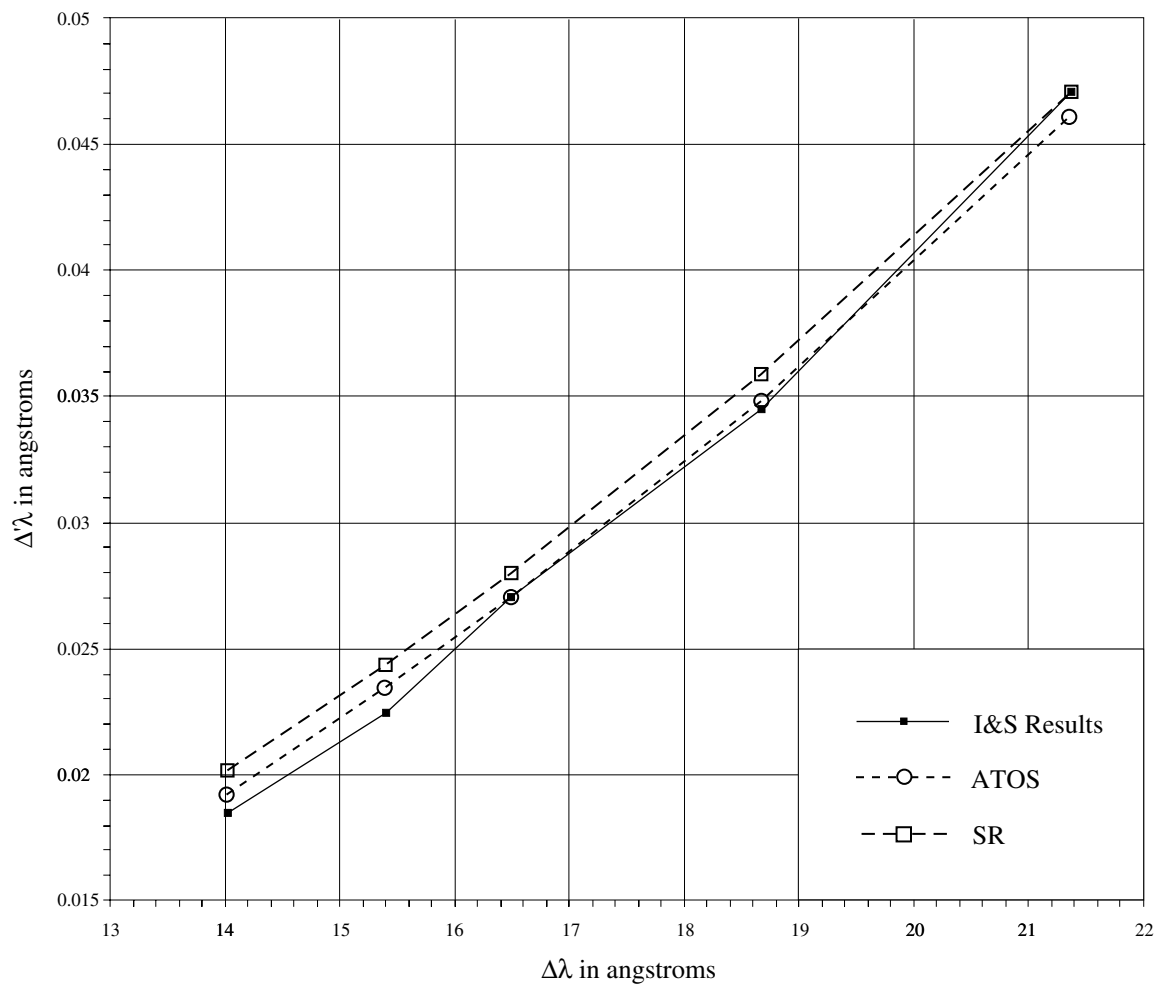
**Table 11.** Linear Doppler shifts for light observed in the 1938 Ives and Stilwell experiment (col. 8) versus the predictions of Classical Theory (col. 4), Special Relativity (SR, col. 5; see col. 9 of Table 6), and Aetherometry (AToS, col.s 6 & 7). Please note that the LLR values are essentially the same as those of SR, col. 5. In accordance with the aetherometric model, col.s 2 and 3 provide, respectively, the speeds of heavy ions just before emission (see col. 2 of Table 8) and at the time of emission (see col.s 9 of Table 10).

**Table 12.** Proposed second-order  $\Delta'\lambda$  shifts: (1) computed from the applied voltage (col.s 2 and 3); (2) predicted by LLR (col. 4), by SR (col. 5) and AToS (col. 6); and (3) reported by Ives and Stilwell [1] for their final experiments. All values are in angstroms.

**Fig. 1**



**Fig. 2**





# Table 1

1	2	3	4	5	6
Applied Potential	Postulated Source of the H <sub>β</sub> line	Δλ computed	v determined from Δλ , computed	Δλ observed	v determined from observed Δλ
(volts)		(10 <sup>-9</sup> m)	(10 <sup>5</sup> m/sec)	(10 <sup>-9</sup> m)	(10 <sup>5</sup> m/sec)
7,780	H <sub>2</sub>	1.404	8.68	1.402	8.647
9,187	H <sub>2</sub>	1.530	9.46	1.540	9.498
10,574	H <sub>2</sub>	1.634	10.10	1.649	10.170
13,560	H <sub>2</sub>	1.850	11.44	1.867	11.514
18,350	H <sub>2</sub>	2.155	13.32	2.137	13.179
6.788	H <sub>3</sub>	1.062	6.56	1.035	6.383
11,566	H <sub>3</sub>	1.388	8.58	1.407	8.677
13,560	H <sub>3</sub>	1.505	9.30	1.514	9.337

Table 2

$\Delta\nu/\nu, 10^{-5}$	Speed of molecular hydrogen, $10^6 \text{ m sec}^{-1}$			
	0.865	1.01	1.15	1.33
Classical Theory	1.67	2.26	2.90	3.94
Special Relativity	0.838	1.13	1.45	1.97
I&S Results	0.762	1.10	1.42	1.90

### Table 3

1	2	3	4	5	6	7	8	9	10
Accelerated ion	I. Characteristics from applied potential:			II. From observed $\Delta\lambda$ (see Table 1):			III. From computed $\Delta\lambda$ :		
	Applied Potential	Corresponding * Field Wavespeed $W_{vA}$ ( $10^8$ m/sec)	Corresponding * Ion Velocity $v_A$ ( $10^5$ m/sec)	Ion Velocity $v_B$ , † ( $10^5$ m/sec)	Corresponding Wavespeed of Kinetic Energy * $W_{vB}$ ( $10^8$ m/sec)	Corresponding Potential * (volts)	Ion Velocity $v_C$ , ‡ ( $10^5$ m/sec)	Corresponding Wavespeed of Kinetic Energy * $W_{vC}$ ( $10^8$ m/sec)	Corresponding Potential * (volts)
	(volts)	( $10^8$ m/sec)	( $10^5$ m/sec)	( $10^5$ m/sec)	( $10^8$ m/sec)	(volts)	( $10^5$ m/sec)	( $10^8$ m/sec)	(volts)
$H_2^+$	7,780	5.373	6.104	8.647	10.780	15,609	8.679	10.863	15,729
$H_2^+$	9,187	6.345	6.634	9.498	13.007	18,833	9.459	12.900	18,678
$H_2^+$	10,574	7.303	7.117	10.170	14.913	21,593	10.106	14.714	21,304
$H_2^+$	13,560	9.365	8.059	11.514	19.117	27,679	11.437	18.861	27,309
$H_2^+$	18,350	12.674	9.375	13.179	25.046	36,264	13.323	25.593	37,055
$H_1^+$	7,780	5.373	8.633	8.647	5.390	7,804	8.679	5.432	7,864
$H_1^+$	9,187	6.345	9.381	9.498	6.503	9,416	9.459	6.450	9,339
$H_1^+$	10,574	7.303	10.064	10.170	7.457	10,796	10.106	7.357	10,652
$H_1^+$	13,560	9.365	11.397	11.514	9.558	13,839	11.437	9.430	13,654
$H_1^+$	18,350	12.674	13.259	13.179	12.523	18,132	13.323	12.796	18,528

\* Aetherometric determination  
† corresponds to column 6, Table 1  
‡ corresponds to column 4, Table 1

## Table 4

1	2	3	4	5	6
	$V_B$	$V_A$	$V_B$ (AToS)	$V_B$ (SR)	
H Ion	Observed H Ion Velocity, $v_B \boxplus$ ( $10^5$ m/sec)	Applied Potential (volts)	Voltage Predicted from Observed Ion Velocity, by AToS (volts)   SR $\odot$ (volts)		Voltage Attributed and Computed by I&S (volts)
$H_2^+$	8.647 $\boxplus$	7,780	15,609	7,760	7,859
$H_2^+$	9.498 $\boxplus$	9,187	18,833	9,363	ND
$H_2^+$	10.170 $\boxplus$	10,574	21,593	10,736	ND
$H_2^+$	11.514 $\boxplus$	13,560	27,679	13,762	13,702
$H_2^+$	13.179 $\boxplus$	18,350	36,264	18,030	20,755
$H_1^+$	8.647	7,780	7,804	3,880	Where the I&S Results Belong: (volts)
$H_1^+$	9.498	9,187	9,416	4,681	
$H_1^+$	10.170	10,574	10,796	5,368	
$H_1^+$	11.514	13,560	13,840	6,881	
$H_1^+$	13.179	18,350	18,132	9,015	
$2H_1^+ = H_2^{++}$	8.647	7,780	7,804	7,760	7,859
$2H_1^+ = H_2^{++}$	9.498	9,187	9,416	9,363	ND
$2H_1^+ = H_2^{++}$	10.170	10,574	10,796	10,736	ND
$2H_1^+ = H_2^{++}$	11.514	13,560	13,840	13,762	13,702
$2H_1^+ = H_2^{++}$	13.179	18,350	18,132	18,030	20,755
$\boxplus$ According to AToS, these applied potentials cannot accelerate $H_2^+$ to the reported/observed ion velocities. Compare columns 3 & 4 for $H_2^+$ and $2H_1^+$ . $\odot$ Ratio $m_p/m_e$ employed is aetherometric whole number 1836, not the conventional value of 1836.16. SR formula: $V = 300 m_0 c \{ [1 - (v^2/c^2)]^{-0.5} - 1 \} / e$					

Table 5

1	2	3	4	5	6	7
H Ion	From Applied Potential:			From observed $\Delta\lambda$ :		
	Voltage	$v_A$	$v_A = v_A^2/e$	Voltage	$v_B$	$v_B = v_B^2/e$
	(volts)	( $10^5$ m/sec)	( $10^{10}$ Hz)	(volts)	( $10^5$ m/sec)	( $10^{10}$ Hz)
$H_1^+$	7,780	8.633	5.335	7,804	8.647	5.352
$H_1^+$	9,187	9.381	6.300	9,416	9.498	6.457
$H_1^+$	10,574	10.064	7.251	10,796	10.170	7.403
$H_1^+$	13,560	11.397	9.298	13,839	11.514	9.490
$H_1^+$	18,350	13.258	12.583	18,132	13.179	12.433
$2H_1^+$	7,780	8.633	5.335	7,804	8.647	5.352
$2H_1^+$	9,187	9.381	6.300	9,416	9.498	6.457
$2H_1^+$	10,574	10.064	7.251	10,796	10.170	7.403
$2H_1^+$	13,560	11.397	9.298	13,839	11.514	9.490
$2H_1^+$	18,350	13.258	12.583	18,132	13.179	12.433

## Table 6

From Applied Potential:			From Hydrogen Ion Velocities Based on Observed $\Delta\lambda$ :			From Theoretical Velocity Predicted by SR based on computed $\Delta\lambda$		
1	2	3	4	5	6	7	8	9
Voltage (Applied) (volts)	$v_A$ ( $10^{10}$ Hz)	$\Delta v_A/v_A$ $10^{-5}$	Potential of Kinetic Energy (volts)	$v_B$ ( $10^{10}$ Hz)	$\Delta v_B/v_B$ $10^{-5}$	Kinetic Potential (volts)	$v_C$ ( $10^{10}$ Hz)	$\Delta v_C/v_C$ $10^{-5}$
7,780	5.335	0.8293	7,804	5.352	0.8319	7,864	5.3928	0.8382
9,187	6.300	0.9792	9,416	6.457	1.0037	9,339	6.4040	0.9954
10,574	7.251	1.1271	10,796	7.403	1.1508	10,652	7.3044	1.1354
13,560	9.298	1.4453	13,839	9.490	1.4752	13,654	9.3631	1.4554
18,350	12.583	1.9559	18,132	12.433	1.9327	18,528	12.705	1.9749

Table 7

H $\beta$ Frequency (Hz)	H $\beta$ $\lambda$ (Å)	$v = \sqrt{e \cdot v}$ (10 <sup>7</sup> m/sec)	$W_v = v^2/W_k$ (10 <sup>9</sup> m/sec)	V (volts)	$\beta$	$\Delta v_{H\beta}/v_{H\beta}$
6.167 * 10 <sup>14</sup>	4861	9.2819	3.3831	48,983.6	0.30961	0.10034

## Table 8

1	2	3	4	5	6	7	8	9
Max Frequency of photon emission $\nu_B$ ( $10^{10}$ Hz)	Linear Velocity of protons or doublets $\nu_B = \sqrt{e} * \nu_B$ ( $10^5$ m/sec)	$W_{\nu_B} = \nu_B^2 / W_u$ ( $10^8$ m/sec)	$V = j = W_{\nu_B}$ (volts)	Applied Potential (volts)	Observed $\beta = \nu_B / c$ ( $10^{-3}$ )	$\Delta \nu_B / \nu_B$ ( $10^{-5}$ )	Kinetic Energy of Protons (eV) singlet   doublet	
5.352	8.647	5.390	7,804	7,780	2.8842	0.8319	7,804	15,609
6.457	9.498	6.503	9,416	9,187	3.1681	1.0037	9,416	18,833
7.403	10.170	7.457	10,796	10,574	3.3923	1.1508	10,796	21,593
9.490	11.514	9.558	13,840	13,560	3.8408	1.4752	13,840	27,679
12.433	13.179	12.523	18,132	18,350	4.3962	1.9327	18,132	36,264



## Table 9

1	2	3	4	5	6	7
#	Heavy Carrier	Kinetic Energy of Heavy Ion  (eV)	Electric Potential of Kinetic energy, per charge carried by heavy ion  (volts)	Light Carrier	Kinetic Energy of Electron  (eV)	Minimum Electric Potential of Electron Kinetic Energy  (volts)
1	$2H_1^+ = H_2^{++}$	15,609	7,805	electron	33,374	33,374
2	$2H_1^+ = H_2^{++}$	18,833	9,416	electron	30,150	30,150
3	$2H_1^+ = H_2^{++}$	21,593	10,796	electron	27,390	27,390
4	$2H_1^+ = H_2^{++}$	27,679	13,840	electron	21,304	21,304
5	$2H_1^+ = H_2^{++}$	36,264	18, 132	electron	12,719	12,719
6	$H_1^+$	7,804	7,805	electron	41,179	41,179
7	$H_1^+$	9,416	9,416	electron	39,567	39,567
8	$H_1^+$	10,796	10,796	electron	38,187	38,187
9	$H_1^+$	13,840	13,840	electron	35,143	35,143
10	$H_1^+$	18,132	18, 132	electron	30,851	30,851

# Table 10

1	2	3	4	5	6	7	8	9	10	11	12
#	Carriers Before Collision	Kinetic Energy  (eV)	Linear Velocity  (m/sec)	$\beta$	$v_{\max}$  (Hz)	Carriers after Collision	Electron Kinetic Energy Before Emission (eV)	$H_2^+$ Linear Velocity upon Deceleration (m/sec)	$\beta$ of $H_2^+$	$v_{H\beta}$  (Hz)	$\Delta v_{H\beta}/v_{H\beta}$  $10^{-5}$
1	doublet proton (canal-rays)  electron	15,609  33,374	$8.647 * 10^5$  $7.6615 * 10^7$	0.00288  0.25556	$5.352 * 10^{10}$  $4.202 * 10^{14}$	$2H_1^+ + e^- =$ $= H_2^+$	48,983	$8.438 * 10^5$	0.00281	$6.167 * 10^{14}$	0.792
2	doublet  electron	18,833  30,150	$9.498 * 10^5$  $7.282 * 10^7$	0.00317  0.2429	$6.457 * 10^{10}$  $3.796 * 10^{14}$	$H_2^+$	48,983	$9.300 * 10^5$	0.00310	$6.167 * 10^{14}$	0.962
3	doublet  electron	21,593  27,390	$10.170 * 10^5$  $6.941 * 10^7$	0.00339  0.23152	$7.403 * 10^{10}$  $3.448 * 10^{14}$	$H_2^+$	48,983	$9.981 * 10^5$	0.00333	$6.167 * 10^{14}$	1.108
4	doublet  electron	27,679  21,304	$11.514 * 10^5$  $6.121 * 10^7$	0.00384  0.20418	$9.490 * 10^{10}$  $2.682 * 10^{14}$	$H_2^+$	48,983	$11.347. * 10^5$	0.003785	$6.167 * 10^{14}$	1.433
5	doublet  electron	36,264  12,719	$13.180 * 10^5$  $4.730 * 10^7$	0.00440  0.15777	$12.433 * 10^{10}$  $1.601 * 10^{14}$	$H_2^+$	48,983	$13.051. * 10^5$	0.00435	$6.167 * 10^{14}$	1.895

Table 11

1	2	3	4	5	6	7	8
Applied Potential  (volts)	Heavy Ion Speed Before Collision (10 <sup>-6</sup> m sec <sup>-1</sup> )	Heavy Ion Speed After collision (10 <sup>-6</sup> m sec <sup>-1</sup> )	Δv/v, 10 <sup>-5</sup> Predictions:				Δv/v, 10 <sup>-5</sup>  Experimental Results (I&S, 1938)
			Classical Theory	SR	AToS		
					Before collision (Proton doublets)	At emission upon deceleration (H <sub>2</sub> <sup>+</sup> )	
7,780	0.865	0.84	1.67	0.838	0.832	0.792	0.762
9,187	0.95	0.93	2.02	0.995	1.004	0.962	ND
10,574	1.02	1.00	2.26	1.135	1.151	1.108	1.10
13,560	1.15	1.135	2.90	1.455	1.475	1.433	1.42
18,350	1.32	1.31	3.94	1.975	1.933	1.895	1.90

## Table 12

1	2	3	4	5	6	7
Applied voltage (volts)	$\Delta\lambda$ : Computed from applied voltage $V_A$ : LLR (I&S, 1938) $\boxtimes$	AToS for $H_1^+$ or $H_2^{++}$ $\odot$	$\Delta\lambda$ : Computed from observed $\Delta\lambda^*$ <b>LLR</b>	$\Delta\lambda$ : Computed from observed $\Delta\lambda^\ddagger$ <b>SR</b> $\odot$	$\Delta\lambda$ : Computed from observed $\Delta\lambda^\ddagger$ <b>AToS</b> $\otimes$	$\Delta\lambda$ : Observed by I&S in final experiments $\dagger$
7,780	0.0203	0.0202	0.0202	0.0202	0.0192	0.0185
9,187	0.0238	0.0238	0.0243	0.0244	0.0234	0.0225
10,574	0.0275	0.0275	0.0280	0.0280	0.0270	0.0270
13,564	0.0352	0.0351	0.0360	0.0359	0.0348	0.0345
18,350	0.0478	0.0477	0.0469	0.0470	0.0461	0.0470

$\boxtimes$  Date from Ives & Stilwell, Table III, column 4.  
 $\odot$  Calculated with the aetherometric method.  
 $*$  According to the LLR formula:  $\Delta\lambda = 0.5 \lambda_0 (v^2/c^2)$ . Data from Ives & Stilwell, Table III, column 5.  
 $\ddagger$  According to the SR and aetherometric formula:  $\Delta\lambda = \{\lambda_0/[1 - (v/c)^2]^{0.5}\} - \lambda_0$ .  
 $\odot$  Please note that these values are very close to those obtained by AToS for the proton doublets before the collisions that produce  $H_2^+$ .  
 $\otimes$  Computed from observed  $\Delta\lambda$  for the aetherometric velocities of molecular hydrogen (see Table 10, column 9) at the time of emission.  
 $\dagger$  Data from Ives & Stilwell, Table III, column 6.